

# Week 2 Video 1

## Detector Confidence

# Classification



- There is something you want to predict (“the label”)
- The thing you want to predict is categorical

It can be useful to know *yes* or *no*



# It can be useful to know *yes* or *no*

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- The detector says you don't have Ptarmigan's Disease!

# It can be useful to know *yes* or *no*

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- But it's even more useful to know how certain the prediction is

# It can be useful to know *yes* or *no*

- But it's even more useful to know how certain the prediction is
  - ▣ The detector says there is a 50.1% chance that you don't have Ptarmigan's disease!

# Uses of detector confidence



# Uses of detector confidence

- Gradated intervention
  - Give a strong intervention if confidence over 60%
  - Give no intervention if confidence under 60%
  - Give “fail-soft” intervention if confidence 40-60%

# Uses of detector confidence

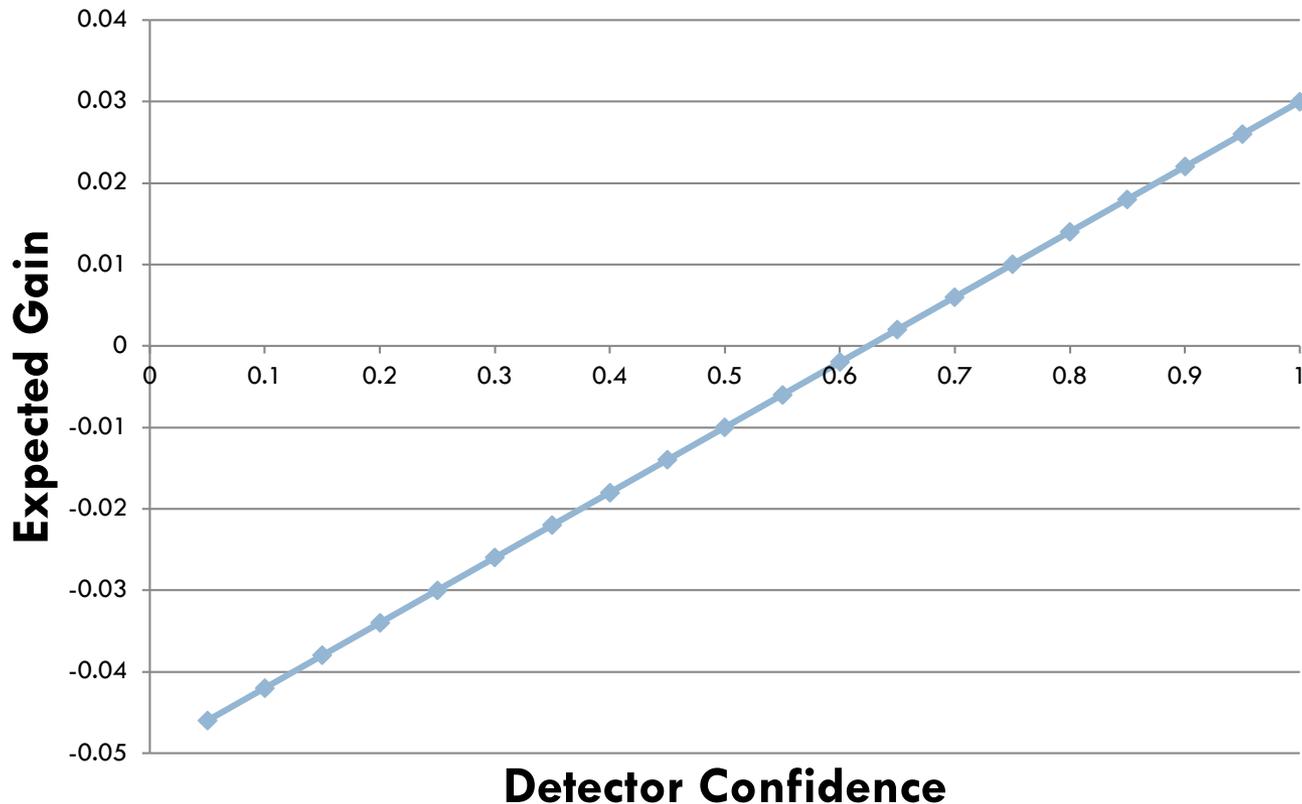
- Decisions about strength of intervention can be made based on cost-benefit analysis
- What is the cost of an incorrectly applied intervention?
- What is the benefit of a correctly applied intervention?

# Example

- An incorrectly applied intervention will cost the student 1 minute
- Each minute the student typically will learn 0.05% of course content
- A correctly applied intervention will result in the student learning 0.03% more course content than they would have learned otherwise

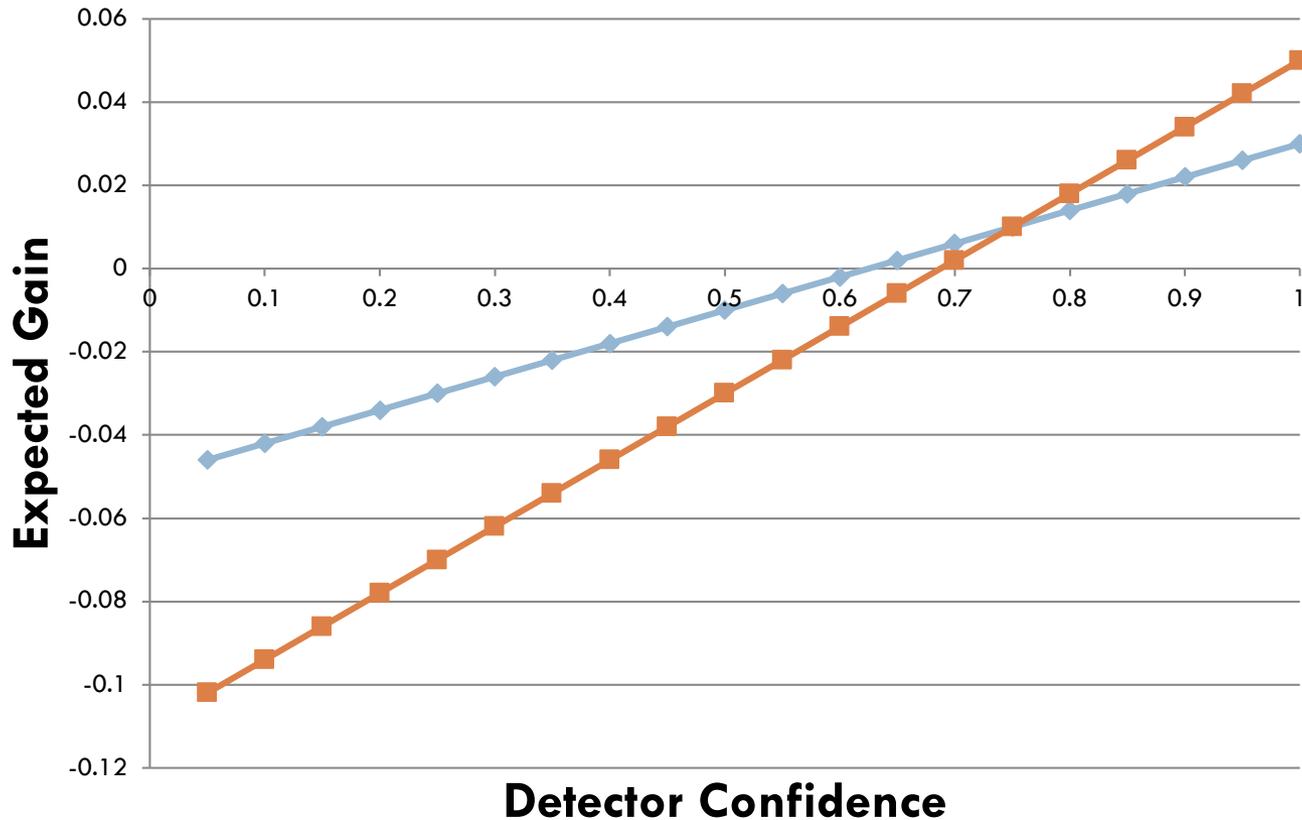
# Expected Value of Intervention

- $0.03 * \text{Confidence} - 0.05 * (1 - \text{Confidence})$

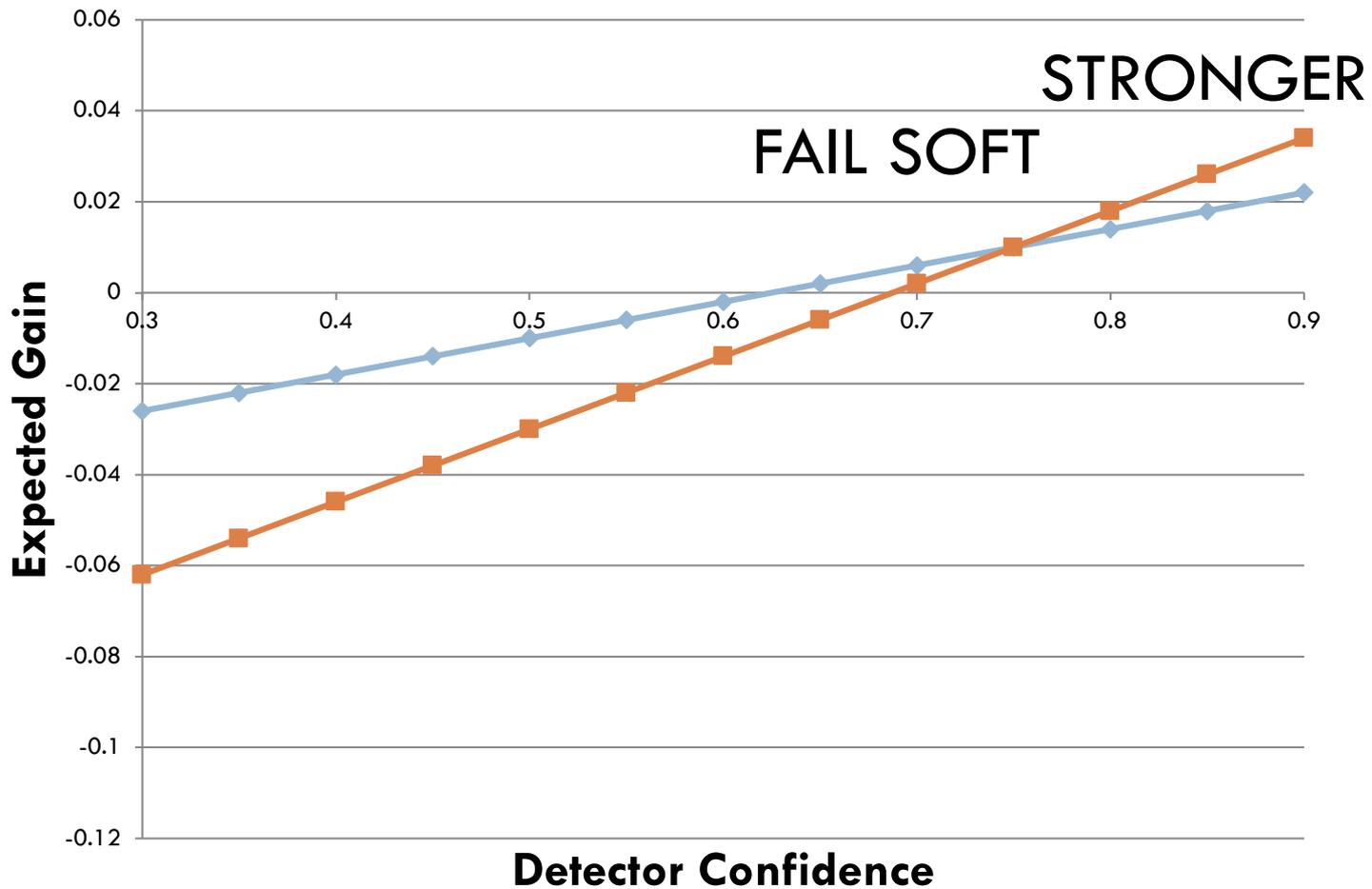


# Adding a second intervention

- $0.05 * \text{Confidence} - 0.08 * (1 - \text{Confidence})$



# Intervention cut-points



# Uses of detector confidence



# Uses of detector confidence

- Discovery with models analyses
  - When you use this model in further analyses
  - We'll discuss this later in the course
  - Big idea: keep all of your information around

# Not always available

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- Not all classifiers provide confidence estimates

# Not always available

- Not all classifiers provide confidence estimates
- Some, like step regression, provide pseudo-confidences
  - ▣ do not scale nicely from 0 to 1
  - ▣ but still show relative strength that can be used in comparing two predictions to each other

# Some algorithms give it to you in straightforward fashion

- “Confidence = 72%”

With others, you need to parse it out of software output

## Tree

```
a > 1.174: Y {N=0, Y=47}
a ≤ 1.174
|   d > 1.491: Y {N=0, Y=2}
|   d ≤ 1.491
|   |   d > 1.431: Y {N=1, Y=2}
|   |   d ≤ 1.431
|   |   |   day > 8.500: Y {N=1, Y=1}
|   |   |   day ≤ 8.500: N {N=44, Y=1}
```

With others, you need to parse it out of software output

## Tree

```
a > 1.174: Y {N=0, Y=47}
```

```
a ≤ 1.174
```

```
| d > 1.491: Y {N=0, Y=2}
```

```
| d ≤ 1.491
```

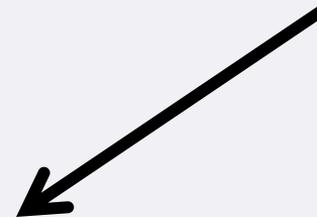
```
| | d > 1.431: Y {N=1, Y=2}
```

```
| | d ≤ 1.431
```

```
| | | day > 8.500: Y {N=1, Y=1}
```

```
| | | day ≤ 8.500: N {N=44, Y=1}
```

$$C = Y / (Y+N)$$



With others, you need to parse it out of software output

## Tree

```
a > 1.174: Y {N=0, Y=47}
```

```
a ≤ 1.174
```

```
| d > 1.491: Y {N=0, Y=2}
```

```
| d ≤ 1.491
```

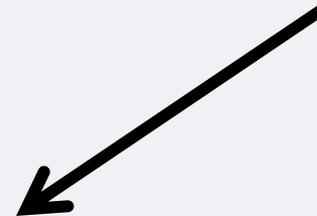
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| | d > 1.431: Y {N=1, Y=2}
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```
| | d ≤ 1.431
```

```
| | | day > 8.500: Y {N=1, Y=1}
```

```
| | | day ≤ 8.500: N {N=44, Y=1}
```

$$C = 2 / (2+1)$$

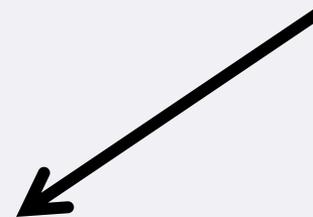


With others, you need to parse it out of software output

## Tree

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a > 1.174: Y {N=0, Y=47}
a ≤ 1.174
|   d > 1.491: Y {N=0, Y=2}
|   d ≤ 1.491
|   |   d > 1.431: Y {N=1, Y=2}
|   |   d ≤ 1.431
|   |   |   day > 8.500: Y {N=1, Y=1}
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```

**C = 66.6667%**



With others, you need to parse it out of software output

## Tree

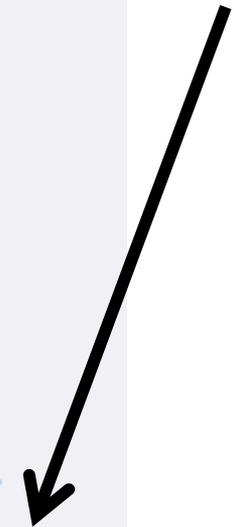
```
a > 1.174: Y {N=0, Y=47} ← C = 100%
a ≤ 1.174
|   d > 1.491: Y {N=0, Y=2}
|   d ≤ 1.491
|   |   d > 1.431: Y {N=1, Y=2}
|   |   d ≤ 1.431
|   |   |   day > 8.500: Y {N=1, Y=1}
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```

With others, you need to parse it out of software output

## Tree

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```

**C = 2.22%**

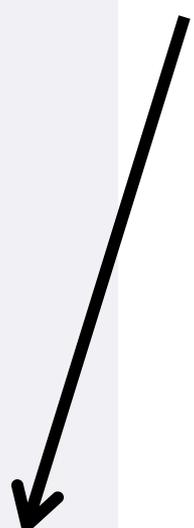


With others, you need to parse it out of software output

## Tree

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a ≤ 1.174
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|   |   |   day ≤ 8.500: N {N=44, Y=1}
```

**C = 2.22%**  
**(or NO with**  
**97.88%)**



# Confidence can be “lumpy”

- Previous tree only had values
  - ▣ 100%, 66.67%, 50%, 2.22%
- This isn't a problem per-se
  - ▣ But some implementations of standard metrics (like A') can behave oddly in this case
  - ▣ We'll discuss this later this week
- Common in tree and rule based classifiers

# Confidence

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- Almost always a good idea to use it when it's available
- Not all metrics use it, we'll discuss this later this week

# Risk Ratio

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- A good way of analyzing the impact of specific predictors on your prediction
- Not available through all tools

# Risk Ratio

- Used with binary predictors
- Take predictor  $P$

$$RR = \frac{\textit{Probability when } P = 1}{\textit{Probability when } P = 0}$$

# Risk Ratio: Example

- Students who get into 3 or more fights in school have a 20% chance of dropping out
- Students who do not get into 3 or more fights in school have a 5% chance of dropping out

$$RR = \frac{\text{Probability when } 3\text{Fights}=1}{\text{Probability when } 3\text{Fights}=0} = \frac{0.2}{0.05} = 4$$

- The Risk Ratio for 3+ fights is 4
- You are 4 times more likely to drop out if you get into 3 or more fights in school

# Risk Ratio: Notes

- You can turn numerical predictors into binary predictors with a threshold
  - ▣ Like our last example!
- Clear way to communicate the effects of a variable on your predicted outcome

# Thanks!

